CORRECTIONS (received July 2, 1990):

"Almost everywhere summability of eigenfunction expansions associated to elliptic operators" by Waldemar Hebisch, Studia Math. 96 (3) (1990), 263–275

P. 265, l. 1: $\mathscr{L}^l_{p,\mathrm{loc}}(\mathbf{R}) := \{f\colon \varphi f \in \mathscr{L}^l_p(\mathbf{R}) \text{ for all } \varphi \in C^\infty_c(\mathbf{R})\}$.

P. 265, l. 10 from the bottom: add the condition $a, b \geqslant 0$.

Theorem (3.1): add $b > 0$ in the assumptions and $c > 0$ in the proof.

P. 267, l. 8: $\|K_n\|$ should have subscript $B((1+R^n d)^q)$; l. 2 from the bottom: for "that" read "that if $b = 1$".

P. 268, l. 13: for "$\alpha' = \alpha - \varepsilon$" read "if $\alpha' = \alpha - q\varepsilon > 0$"; l. 2 from the bottom should read: "The same argument but using (2.3′) instead of (2.3) also yields".

P. 270, bottom line: a factor C on the RHS is missing.

P. 271, l. 9 from the bottom: for "$t > 0$" read "$s, t > 0$".

P. 272, l. 16: the operator is assumed to have C^∞ coefficients.

Lemma (8.4): replace $\partial^\alpha(\varrho \circ \varphi_i)$ by $\partial^\alpha(\varrho \circ \varphi_i^{-1})$ and add the condition $\int u = 1$ in the proof.

P. 273, l. 14: for "scalar operator" read "operator in $\mathbf{R}^n$"; l. 21: for γ read $|\gamma|$; add "$C_1 > 0$" in the second line of (8.6).

P. 274, l. 15: for $\lambda^{q/2}$ read $\lambda^{-q/2}$; l. 16: for s^m read s^{2km}; l. 18: for s^m read s^{km} and for $\|\ldots f\|_0^{1/2}$ read $\|\ldots f\|_0$; l. 20: for ts^m read $(ts^m)^k$.