

*ERRATUM TO*  
*“ON CONVOLUTION OPERATORS WITH SMALL SUPPORT*  
*WHICH ARE FAR FROM BEING CONVOLUTION*  
*BY A BOUNDED MEASURE”*

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On p. 35, row 31, delete “ultrathin”.

On p. 42, row 14, insert after “...p. 23).”: “By [LT], p. 103,  $A(F)$  contains a complemented copy of  $\ell^1$ .”

On p. 55, row 6, insert between “a” and “function algebra”: “(not necessarily semisimple)”.

On p. 56, row 14, replace “ $v_{n_j}w_0 = 0$  on  $F$ ” by “ $v_{n_j}w_0 \in J$ . Since if  $w_0 = 0$  on the open set  $U_0$  with  $e \in U_0$  let  $i$  be such that  $F \cap \text{cl } V_{n_j} \subset F \cap U_0$  if  $j \geq i$ . Now  $D = \{x \in G : w_0(x) \neq 0 \text{ and } v_{n_j}(x) \neq 0\} \subset (G \sim U_0) \cap \text{cl } V_{n_j}$ , a closed set in  $G$ . Thus  $F \cap \text{supp}(w_0v_{n_j}) \subset F \cap \text{cl } D \subset (G \sim U_0) \cap \text{cl } V_{n_j} = \emptyset$  if  $j \geq i$ . Since  $\text{supp } w_0v_{n_j}$  is compact and disjoint from  $F$ ,  $w_0v_{n_j} \in J_F \subset J$  if  $j \geq i$  (here  $\text{cl}$  denotes closure).”

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