

theorem, as an examination of inequalities (4) and (5) shows. But for $k = \mathcal{O}(\sqrt{-1})$, for example, we have $\lambda_p(k) \leq 1$ for all $p \leq 349$ (see [2]), which suggests the possibility that $\lambda_p(k)$ may be uniformly bounded, independently of p , when k is fixed.

References

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ERRATA

Page, line	For	Read
300 ² and 390 ₂	$-6 \left[\frac{c}{h} \right]$	$-6 \left[\frac{c}{h} \right]$
308 ¹⁸	this	this
321 ₄	$f([(r+1) n/m])$	$f([(r+1) n/m])$