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ERRATA

| Page, line | For | Read |
|---|---|---|
| $210_2$ | $k_U^\times \to \boldsymbol{P}^P k / U$ | $k_U^\times \to \boldsymbol{Z}^P k / U$ |
| $219^5$ | modulus $\mathfrak{m}\ \mathscr{H}^{(\mathfrak{m})}$ | modulus $\mathfrak{m}$, $\mathscr{H}^{(\mathfrak{m})}$ |
| $222^9$ | (i) $\left[\dfrac{K'\mid k}{V'}\right]_{K(U_1\mid U)}$ | (i) $\left[\dfrac{K'\mid k}{V'}\right]_{K}$ |