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Errata to the paper "A general arithmetic construction of transcendental non-Liouville normal numbers from rational fractions"

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by

R. G. Stoneham (New York, N. Y.)

Page 246, (2.25)

for

$$\ldots = \ldots + (Z_2/m^2 - Z_1/m)\, g^{a_1\omega(m)} \ldots$$

read

$$\ldots = \ldots + (Z_2/m^2 - Z_1/m)/g^{a_1\omega(m)} \ldots$$

Page 248, (2.36)

for

$$\ldots = \log m^{s+2} g^{S(s,m)} / \log m^{s+1} g^{S(s,m)},$$

read

$$\ldots = \log m^{s+2} g^{S(s+1,m)} / \log m^{s+1} g^{S(s,m)}.$$

Page 251_6

for

$$x(g, m) = \ldots E_1(a_1 - 1) E_1 E_2(a_2) E_2 \ldots$$

read

$$x(g, m) = \ldots E_1(a_1) E_1 E_2(a_2) E_2 \ldots$$